

Strong and Weak Acids and Bases and pH

Get your thinking caps strapped on!

pH Scale

- **pH Scale**: a relative scale showing the strength of acids or bases, based on the concentration of the H^+ ions in solution
- **$pH = -\log[H^+]$**
- For Water:
 - $pH = -\log(1.011 \times 10^{-7})$
 - $pH = 7$
- High $[H^+]$ = low pH = acidic
- Low $[H^+]$ = high pH = basic
- The further away from 7, the stronger the A/B

For Strong Acids

- Strong = complete dissociation
- This means that $[\text{acid}] = [\text{H}^+]$
- For bases, $[\text{base}] = [\text{OH}^-]$
- Whatever the concentration of the A/B is, it can be used in the pH equation

Examples

What is the pH of the following strong solutions?

1. .10M HCl
2. .10M H₂SO₄
3. .10M H₃PO₄
4. .10M NaOH
5. .10M Ca(OH)₂



Example Answers

Answers

1..10M HCl

1. $\text{pH} = -\log(.10) = 1.0$

2..10M H_2SO_4

2. $\text{pH} = -\log(2^*.10) = .7$

3..10M H_3PO_4

3. $\text{pH} = -\log(3^*.10) = .5$

4..10M NaOH

4. $\text{pOH} = -\log(.10) = 1$

- $\text{pH} + 1 = 14$ $\text{pH} = 13$

5..10M $\text{Ca}(\text{OH})_2$

5. $\text{pOH} = -\log(2^*.10) = .7$

- $\text{pH} + .7 = 14$ $\text{pH} = 13.3$

What is a Weak Acid?

- Acids can be classified into two types:
 - **Strong Acids**: completely dissociate
 - **Weak Acids**: partially dissociate, which means not all the molecules separate into their ions

Why are some weak?

- It depends on the structure of the acid
- Acids that have strong ionic character (big electronegativity differences) will be strong
- Acids that have weaker ionic character will be weak
 - These are most often the acids with polyatomic ions

Examples

Strong Acids

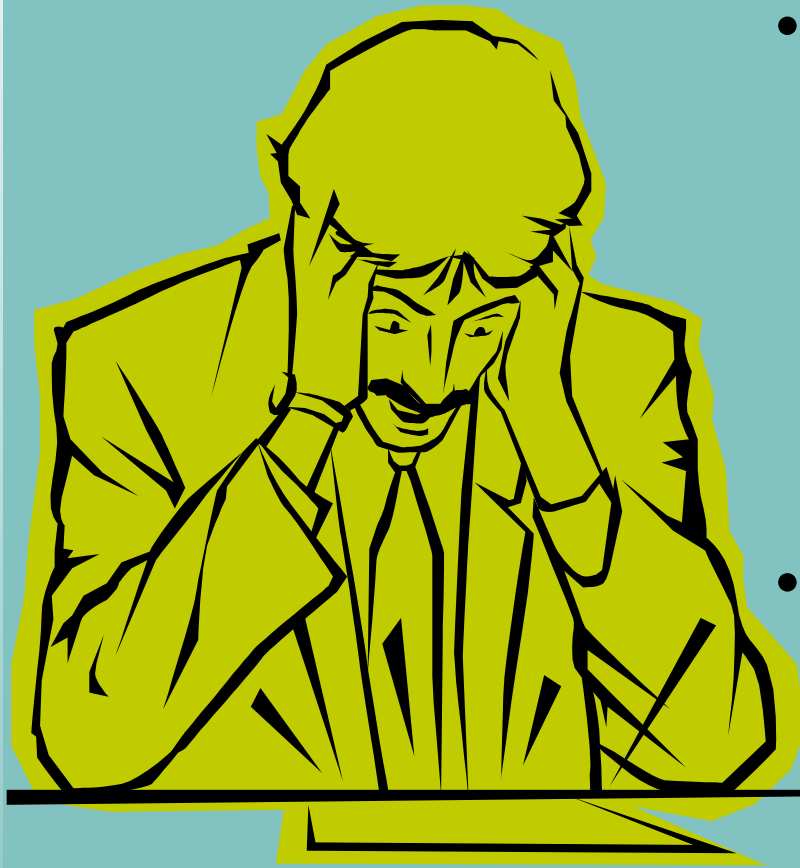
- HCl
- HF
- H₂SO₄

Weak Acids

- H(C₂H₃O₂)
- H₃PO₄

You do not need to know whether an acid is strong or weak...I will provide that information for you!!

So what is different about Weak Acids?



- Because weak acids do not completely dissociate, we cannot use the concentration directly to figure out pH
- We need to know how much of the acid splits apart vs. how much stays together

Dissociation Constants

- **Dissociation Constant:** a constant that tells how much of a chemical dissociates in water (like a percentage)
- Abbreviated “K” (notice it is capital K, not lowercase k...)
- In general, the constant can be calculated using this equation:

$$K = \frac{[\text{product 1}] * [\text{product 2}] * \dots}{[\text{reactant 1}] * [\text{reactant 2}] * \dots}$$

Remember that brackets means “concentration of” something

Examples of K values

- For H_2SO_4 ,
 $K = 1.20 \times 10^{-2}$
- For $\text{H}(\text{C}_2\text{H}_3\text{O}_2)$,
 $K = 1.75 \times 10^{-5}$
- The smaller the K value, less of the chemical dissociates
- $K < 1 \times 10^{-3}$ to be considered “weak”



Weak Acids and pH

- We cannot find the pH of a weak acid by using the concentration of the acid directly
- For example:
 .10M $\text{H}(\text{C}_2\text{H}_3\text{O}_2)$
 pH \neq $-\log(.10)$
- We need to figure out how much splits vs. stays together



*Are we having
fun yet?*

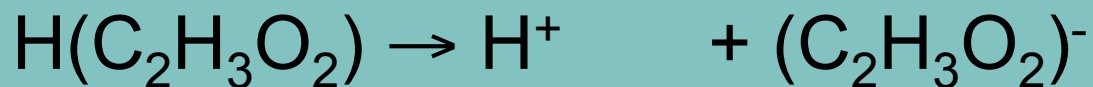
How do we figure that?

- Let's look at acetic acid, $\text{H}(\text{C}_2\text{H}_3\text{O}_2)$, for an example:
- The equation for the dissociation of that acid looks like this:



- Let's look at the solution before and after the dissolving...

How much of each chemical do I have during the dissolving?



Amount Before Dissociation	M	0	0
As it dissociates	Losing "x"	Gaining "x"	Gaining "x"
Amount After Dissociation	M-x	x	x

Using K

*In general
(slide #10)*

$$K = \frac{[\text{product 1}] * [\text{product 2}] * \dots}{[\text{reactant 1}] * [\text{reactant 2}] * \dots}$$

*For acetic acid
(slide #13)*

$$K = \frac{[\text{H}^+] * [\text{C}_2\text{H}_3\text{O}_2^-]}{[\text{HC}_2\text{H}_3\text{O}_2]}$$

*Plugging in
values (from
last slide)*

$$K = \frac{[\text{x}] * [\text{x}]}{[\text{M-x}]}$$

So what does that mean?

- In general, the equation for the dissociation of a weak acid is:

$$K = \frac{[x] * [x]}{[M-x]}, \text{ which is often written like this:}$$

- Know this equation!

This is how we find
[H⁺] of
a weak acid!

$$K = \frac{[x]^2}{[M-x]}$$

K = dissociation
constant

$$X = [H^+]$$

$$M = [\text{acid}]$$

How do we do that?

- If we know K and the concentration of the acid, we can solve for x , which is $[H^+]$
- Once we know $[H^+]$, we can then use our pH equation like usual
- Should we do an example?



What is the pH of .10M $\text{H}(\text{C}_2\text{H}_3\text{O}_2)$?

- What do we know?
 - $K = 1.75 \times 10^{-5}$ (this is a constant I will provide to you)
 - $M = .10 \text{ M}$
- What are we looking for/What do we need?
 - We are looking for pH
 - We need $[\text{H}^+]$

How do we find [H+]?

$$K = \frac{[x]^2}{[M-x]}$$

Move to other side

$$1.75 \times 10^{-5} = \frac{[x]^2}{[.10-x]}$$

distribute

$$(.10-x)(1.75 \times 10^{-5}) = (x)^2$$

Move to other side

$$(1.75 \times 10^{-6}) - (1.75 \times 10^{-5})(x) = (x)^2$$

$$0 = (x)^2 + 1.75 \times 10^{-5}(x) - (1.75 \times 10^{-6})$$

How do we solve this?

Quadratic Equation!! Yippee!!

$$0 = (x)^2 + 1.75 \times 10^{-5} (x) - (1.75 \times 10^{-6})$$

$$X = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}, \text{ where } a = \text{number in front of } x^2$$

b = number in front of x

c = last number

The quadratic can be programmed into your calculator if you don't have it already! If your calculator is non-programmable come see me!

How do we solve this?

$$0 = (x)^2 + 1.75 \times 10^{-5} (x) - (1.75 \times 10^{-6})$$

$$X = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} \quad a = 1$$

$$b = 1.75 \times 10^{-5}$$

$$c = -1.75 \times 10^{-6}$$

Two Answers:

• .00131 M

• ~~-.00133 M~~

Since we are dealing with concentration, we will always use the positive answer!

Now to find pH

- Now we know $[H^+] = .00131 \text{ M}$
- Finding pH is just like strong acids
 - $\text{pH} = -\log[H^+]$
 - $\text{pH} = -\log (.00131) = 2.9$
- Notice how much smaller the pH is compared to a strong acid of the same concentration
 - $.10 \text{ M HCl: } \text{pH} = -\log(.10) = 1.0$

What about Weak Bases?

- Weak bases are treated the exact same way
- The difference is that the “x” in the equation is the $[\text{OH}^-]$
- So when you solve the “K” equation and perform the “-log”, you get pOH
- Simply subtract your answer from 14 to find pH!